

# Decision support model for epidemic-related public transportation restrictions

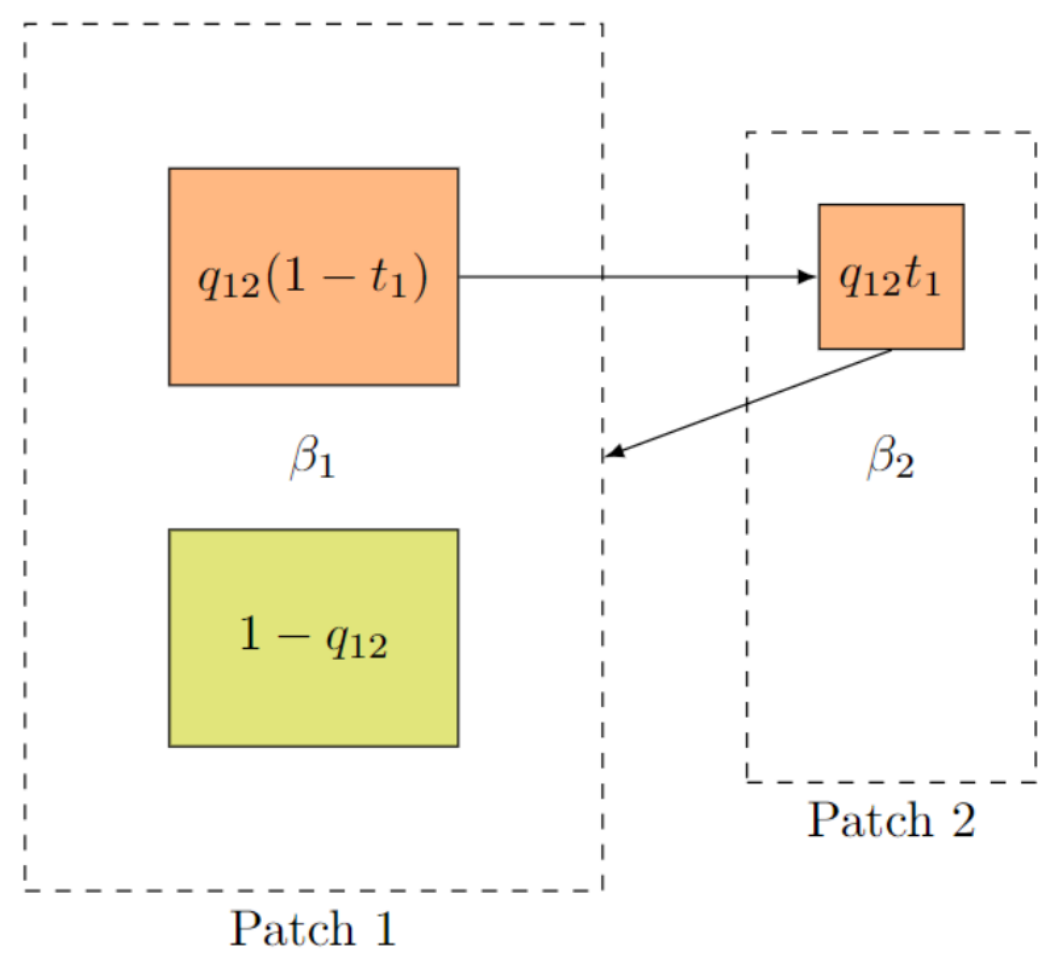
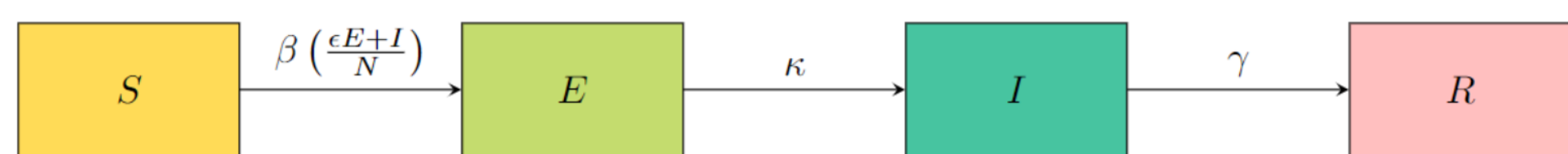
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## Background

- The COVID-19 pandemic caused extreme drops in public transportation ridership for long periods of time, and many transportation agencies faced unprecedented revenue losses resulting in employee lay-offs and reduced services [1][2].
- Public transportation service reductions disproportionately affected already vulnerable populations [3].
- This model is a flexible tool for designing public transportation restriction policies for future viral epidemics, and it is applicable for a wide range of policy prioritization strategies.

## Methods

### Two-patch ODE model with Lagrangian mobility



Two patches with different infection risks:

- Patch 1 is the home environment (home, work, school)
- Patch 2 is the transportation environment (bus, subway car)
- $q_{12}$  = proportion of population which uses public transportation
- $t_1$  = proportion of time each rider spends on public transportation

$$\begin{aligned} \dot{S} &= (1 - q_{12}) \left( -\beta_1 S \left( \frac{\epsilon E + I}{N} \right) \right) + q_{12} \left( -(1 - t_1) \beta_1 S \left( \frac{\epsilon E + I}{N} \right) - t_1 \beta_2 S \left( \frac{\epsilon E + I}{N} \right) \right), \\ \dot{E} &= (1 - q_{12}) \left( \beta_1 S \left( \frac{\epsilon E + I}{N} \right) \right) + q_{12} \left( (1 - t_1) \beta_1 S \left( \frac{\epsilon E + I}{N} \right) + t_1 \beta_2 S \left( \frac{\epsilon E + I}{N} \right) \right) - \kappa E, \\ \dot{I} &= \kappa E - \gamma I, \\ \dot{R} &= \gamma I. \end{aligned}$$

### Modeling transportation restrictions

Three variables of interest describe the restriction:

- day the restriction is implemented
- length of the restriction ( $l$ )
- strength of the restriction ( $\rho$ )

We explore the impact of varying the proportion of the population using public transportation ( $q_{12}$ ).

### Cost framework

Cost is calculated for the total amount of lost potential revenue for the duration of the restriction(s):

$$C = \phi \rho q_{12} N l$$

$$C_{total} = \phi q_{12} N (\rho_1 l_1 + \rho_2 (1 - \rho_1) l_2)$$

### Social vulnerability framework

We use a modified version of the CDC Social Vulnerability Index to calculate traits ( $S$ ) in the population caused by restrictions:

- $a$  is the prop. of the population that will lose their only vehicle
- $b$  is the prop. of the  $a$  population that will face unemployment
- $c$  is the prop. of the  $ab$  population that will face housing cost burden

$$S = q_{12} N (a + ab + abc) (\rho_1 + \rho_2 (1 - \rho_1))$$

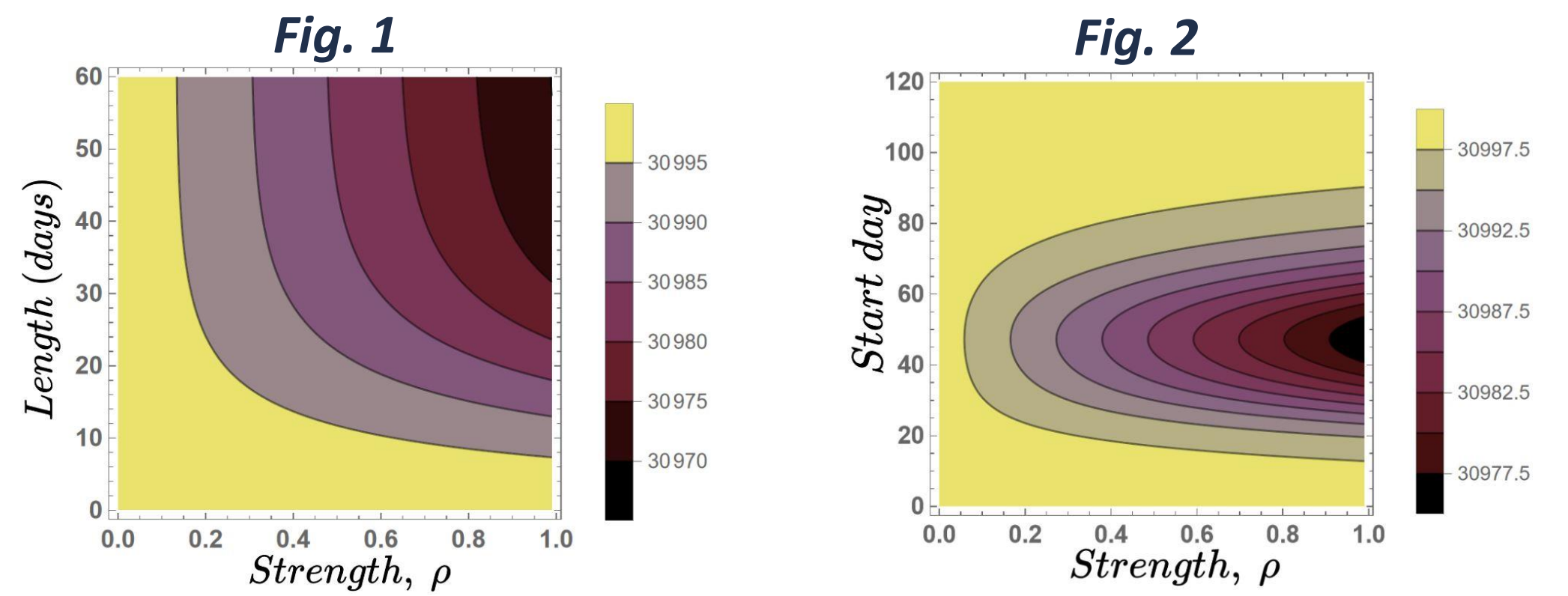
## References

- [1] S. Subbarao and R. Kadali, "Impact of COVID-19 pandemic lockdown on the public transportation system and strategic plans to improve PT ridership: A review," *Innovative Infrastructure Solutions*, vol. 7, p. 97, 2022. doi: 10.1007/s41062-021-00693-9.
- [2] C. Goldbaum, "M.T.A. warns of doomsday subway cuts without 12 billion in federal aid," *The New York Times*, Aug. 2020. [Online]. Available: <https://www.nytimes.com/2020/08/26/nyregion/nyc-subway-bus-service-cuts.html>
- [3] A. Kar, A. L. Çarrel, H. J. Miller, and H. T. K. Le, "Public transit cuts during COVID-19 compound social vulnerability in 22 us cities," *Transportation Research Part D: Transport and Environment*, vol. 110, p. 103 435, 2022. doi: 10.1016/j.trd.2022.103435.

## Results

### Case study: COVID-19-like outbreak in Ithaca, NY

#### Effects of restriction parameters on final epidemic size



Figs. 1-3 show the effects of the restriction strength, length, and start date on the final epidemic size.

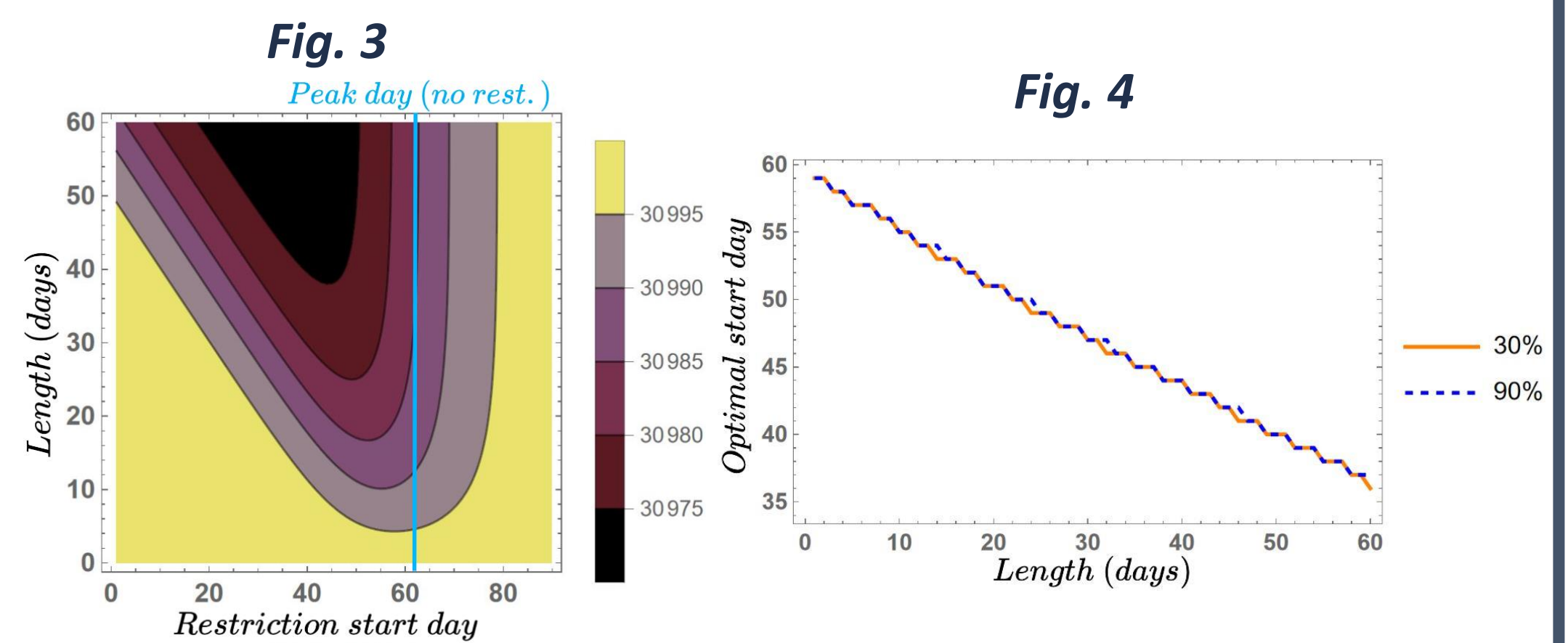
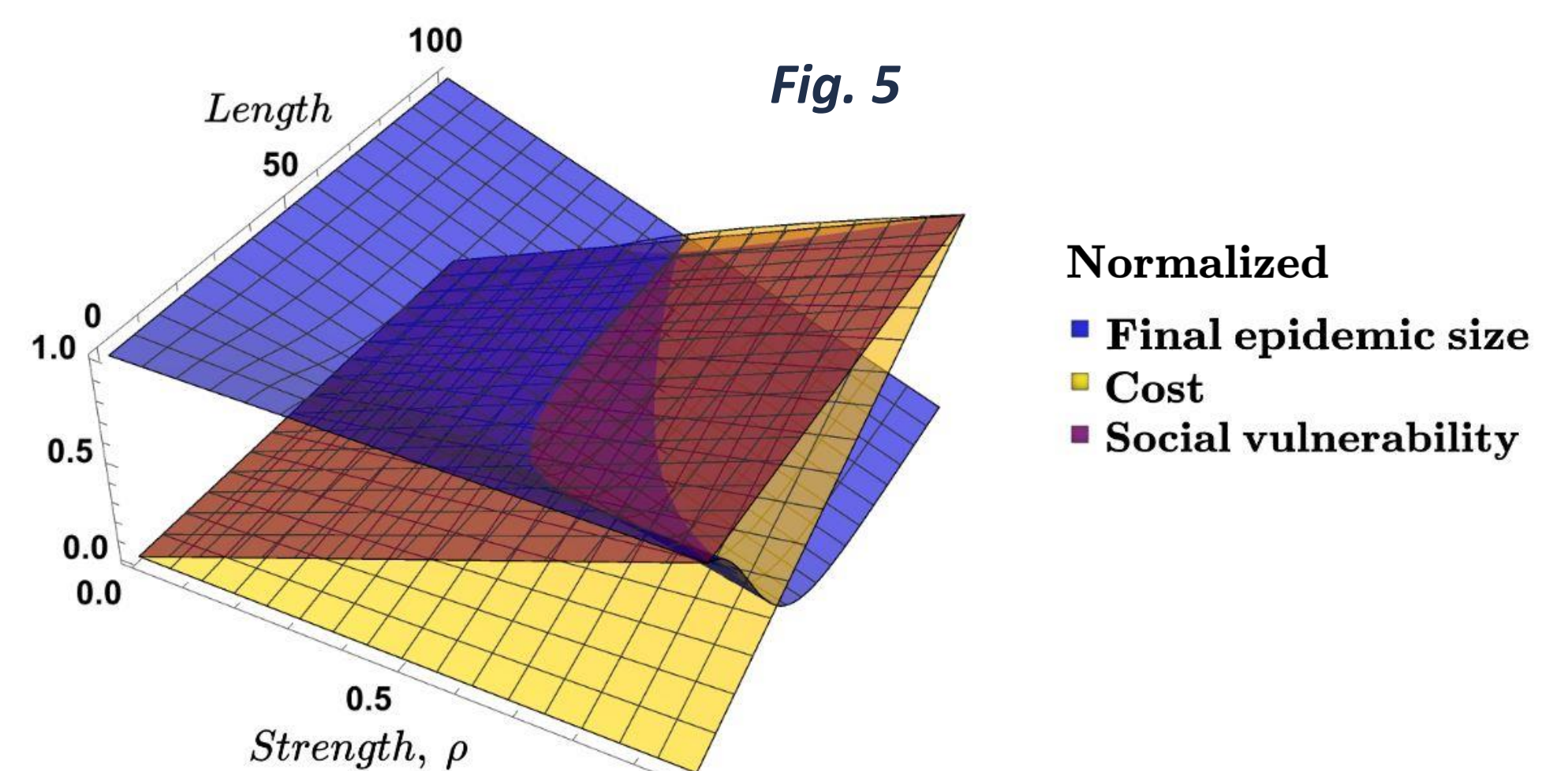


Fig. 4 shows that the most effective start date is almost entirely a function of the length of the restriction, not of the strength.

#### Combining the analysis metrics



- The model returns sets of restriction designs which reflect a wide range of priorities (such as minimizing cost, minimizing length, etc).

- Fig. 5 shows the full range of restriction design possibilities and their associated relative final sizes, costs, and SV traits. The model assumes that the most effective start date is used.

- Fig. 6 shows a few restriction designs for Ithaca if the policymakers' goal is to minimize final size and cost.

Length in days ( $l$ )	Strength ( $\rho$ )
25	1.0
32	0.68
62	0.61
100	0.50

Fig. 6

## Future work

- Adding behavioral complexity and increased population heterogeneity to the model
- Making Patch 2 infection risk vary to represent changes in rider density, cleaning frequency, etc.
- Adding a spatial network component or more patches to represent specific public transportation routes and Patch 1 environments
- Calibrating the SEIR parameters with a historical outbreak in a city and using the model to compare actual and ideal public transportation responses